

# Options

option: the right, but not obligation, to buy or sell something under specified terms

call option: option to buy something

put option: option to sell something

underlying: the something (usually some stock)

specified term: usually a specified price and period under which it is valid

strike price — the specified price at which you may buy or sell the underlying

expiration date: last day on which the option is valid

cost

option premium: the cost/price of the option

exercise ("to exercise the option"): following through and buying/selling ~~at~~ under the specified terms

American style: option may be exercised at any time up to the expiration date

European style: option may only be exercised on the expiration date

Example: you pay the owner of a house \$15k for the option to buy the house for \$200k anytime in the next year.

type: American-style call

strike: \$200k

expiration date: in 1 year

underlying: the house

premium: \$15k

# Stock Options

underlying: 100 shares of a stock  
usually priced on a per share basis  
usually American style

example: GE put options expiring June 19, 2009  
with a strike price of \$10/share.

Cost/premium: \$3.30/share on 3/9/2009  
according to Yahoo Finance.

in- / at- / out-of the money: in the money if it makes sense to exercise. A call is in-the-money if the stock price  $S$  is greater than the strike price  $K$ . A put is in the money if  $S < K$

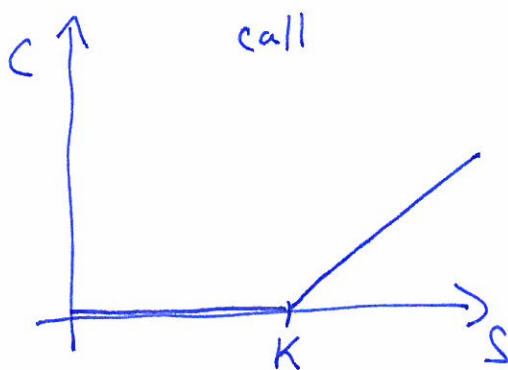
	$S < K$	$S = K$	$S > K$
call	out of the money	at the money	in the money
put	in the money	at the money	out of the money

"write" an option: to sell an option

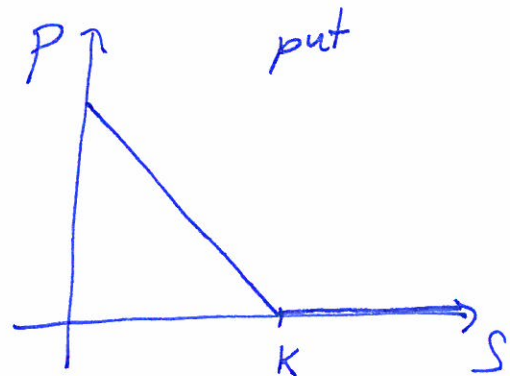
complications: dividends, margin requirements for option writing

value of option at expiration

$S$  - stock price       $K$  - strike price

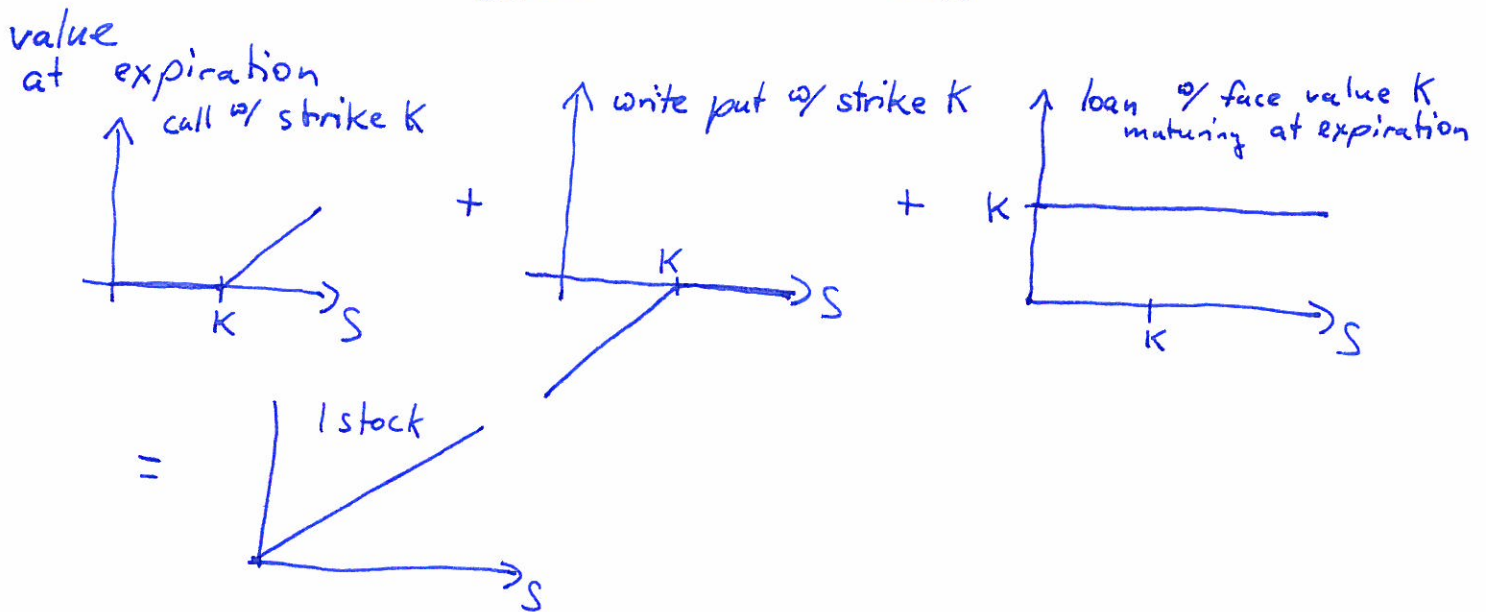


$$C = \max(0, S - K)$$



$$P = \max(0, K - S)$$

# Put - Call Parity



before expiration:

$C$  - price/premium of European call expiring at time  $T$  and with strike  $K$

$P$  - premium of European put expiring at time  $T$  and with strike  $K$

$K(1+r_f)^{-T}$  - value of risk-free loan paying  $K$  at time  $T$

$r_f$  - risk free rate (e.g. yield of US gov't bonds)

$S$  - price of <sup>the</sup> underlying stock

formula:  $C - P + K(1+r_f)^{-T} = S$